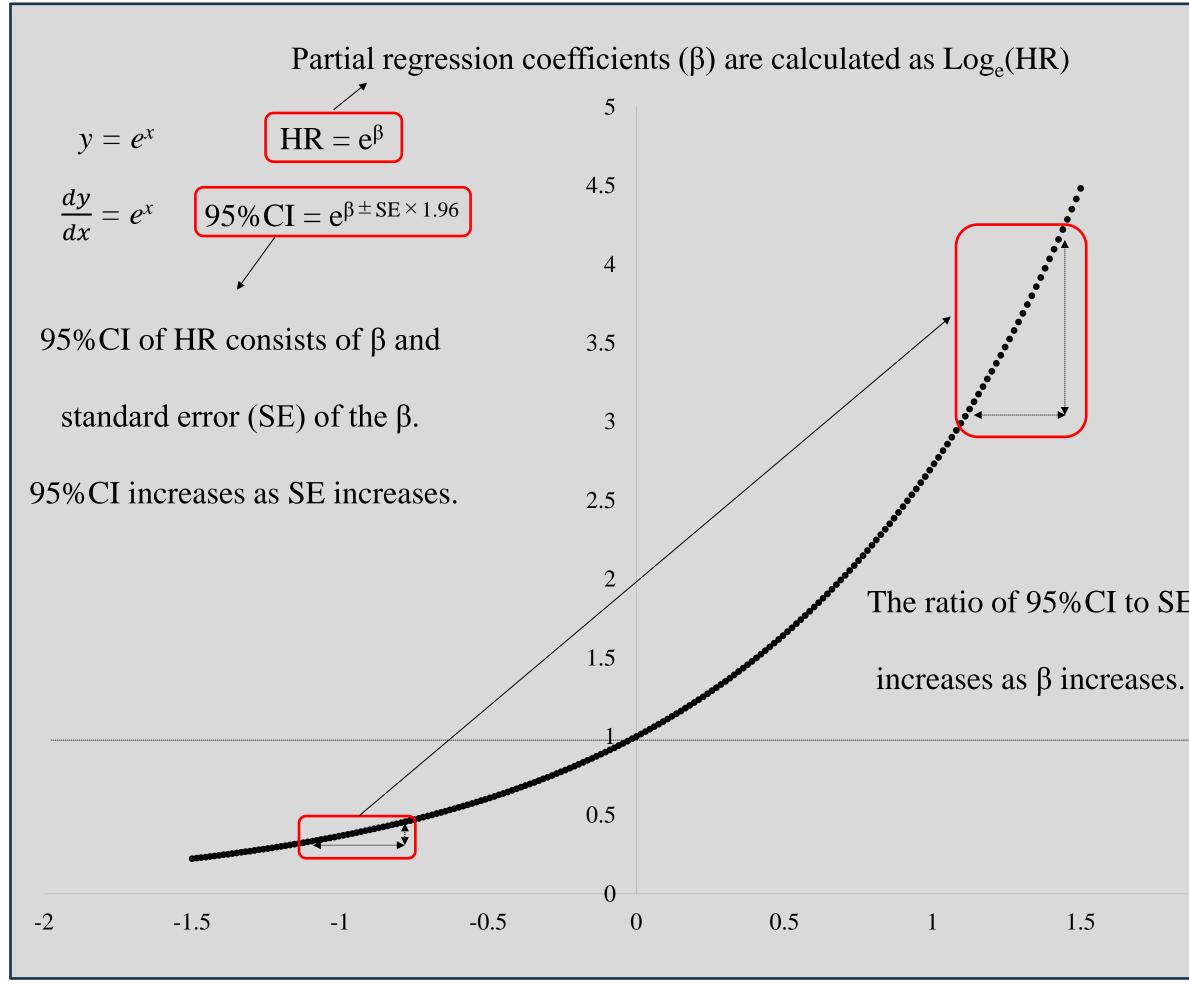


IDWeek 2024

P-1333

Background

- > In reports assessing the effect of an intervention (I) on COVID-19–related endpoints using Cox proportional hazard model, "allocation proportions of I and control (C)" vary.
- > The effect of these allocation proportion on results analyzed using Cox regression in actual clinical trials is unknown.
- > We conducted a pilot meta-analysis of clinical trials to investigate this effect.



The needed knowledge regarding Cox proportional hazard model with a binary covariate

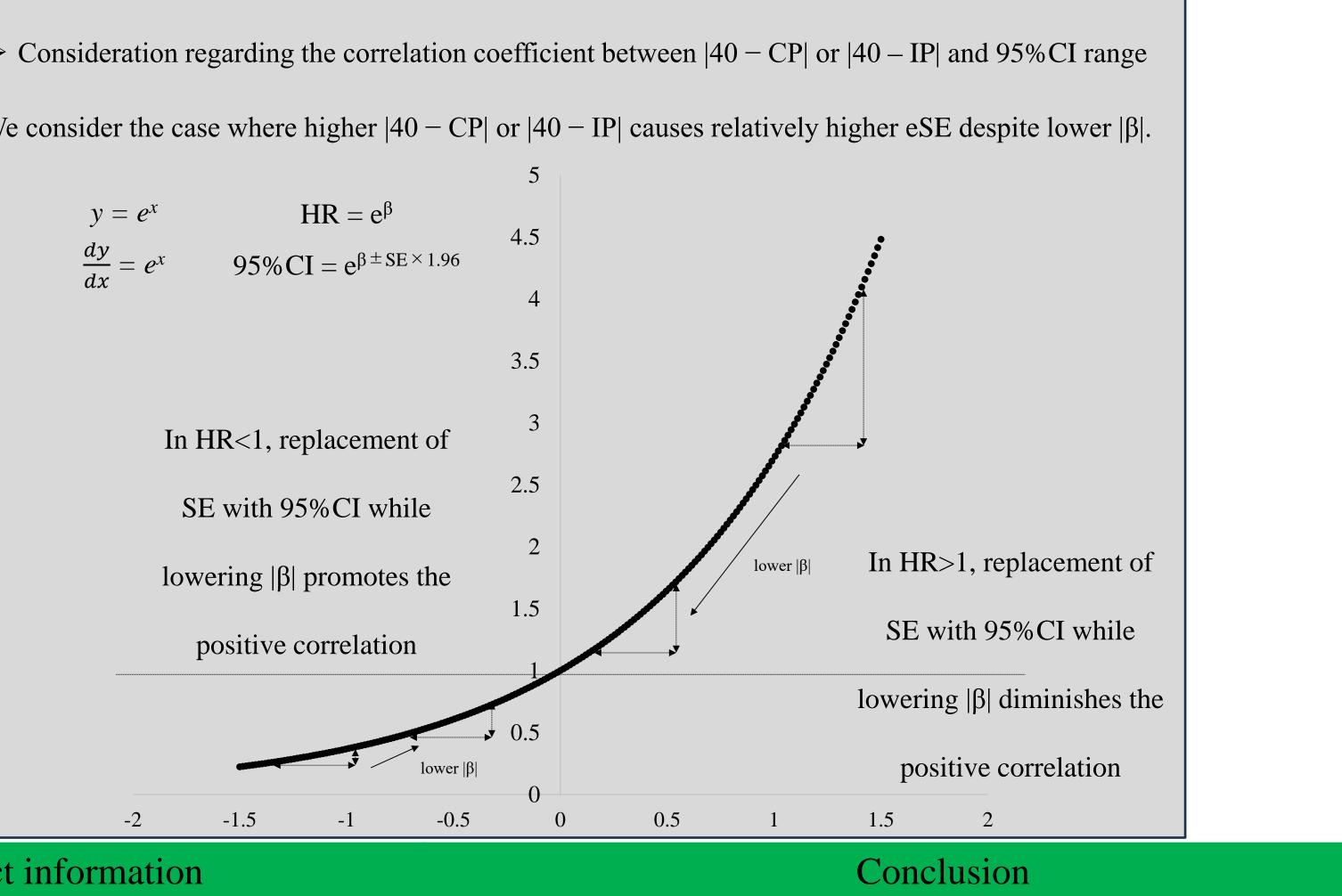
- > When intervention and control interchange, HR and 95% CI after interchanging becomes t
- of the HR and 95%CI before interchanging (e.g. $0.50 (0.20-0.80) \rightarrow 2.00 (1.25-5.00)$).
- > When intervention and control interchange, positive and negative of β are reversed (e.g. 0.
- \succ If intervention and control interchange, the SE is identical.
- > SE reflects the credibility of β (higher SE means lower credibility)
- $> \beta$ mainly reflects the ratio of intervention to control

Influence of Allocation Proportion of Intervention and Control on Results Analyzed Using the Cox Proportional Hazard Model: A Pilot Meta-Analysis Using Actual Clinical Trials Soichi Takeishi MD, Tatsuo Inoue MD, Koichi Miyamura MD, PhD

Infection Control Comm

	Research design & Methods	Results and Discussions										
ing the	> Articles published in The New England Journal of Medicine were included as		We included 50 outcomes from 22 studies.									
ing the	part of a pilot meta-analysis if the following conditions were satisfied:		HR<1aG	95%(CI range		β	es	SE	eS	Ε/ β	
tual	 I. assessing endpoints related to COVID-19 			r	р	r	р	r	р	r	p	
luai			40-CP	0.62	< 0.001	0.10	0.50	0.36	0.01	0.63	< 0.001	
	2. using Cox regression.		$\frac{\beta}{HR>1aG}$	05%(CI range		R	-0.59	<0.001 SE		Ε/ β	
			IIK/IaO	<u> </u>	D	r	<u>ץ</u> ס	r	D	r	<u>ראן אר</u> מ	
	► We referred to "upper limit of 95% confidence interval (CI) of hazard ratio (H	K)	40-IP	0.01	0.93	-0.10	0.50	0.36	0.01	0.63	<0.001	
	(U95%CI) – lower limit of 95%CI of HR (L95%CI)" as the 95%CI range.		β					0.59	< 0.001			
	> Partial regression coefficients (β) were calculated as $Log_e(HR)$							Pear	rson product-mo	ment correlat	ion coefficient	
	> The standard error of β was estimated using ((Log _e (U95%CI) – Log _e (HR)) ÷	• In HR<1aG, 40 – CP correlate	ed with the 95%CI	range, w	hereas 40 –	- IP did n	ot correlate	e with the	95% CI ran	ige in HF	k>1aG.	
	$1.96 + (Log_e(HR) - Log_e(L95\%CI)) \div 1.96) \div 2$, denoted as eSE.	• The positive correlation coeffic	cient between 40 -	- CP and	β in HR<1a	G and the	e negative	correlation	coefficien	t between	n $ 40 - IP $ and β in	HR
	> We calculated eSE \div an absolute value of β (eSE/ $ \beta $).	<1aG and the nega	tive corre	elation in HF	R>1aG be	etween β an	nd eSE wei	re reversed	•			
		• The correlation between 40 –	CP and eSE or eSI	$E/ \beta $ in H	R<1aG and	the corre	lation betw	veen 40 – 1	IP and eSE	E or eSE/	β in HR>1aG were	e id
	> The number of subjects (n) in an intervention group (nI) \div (nI + n in a control	l										
	group (nC)) × 100 was termed "intervention proportion % (IP)", and nC \div (nI			> Consideration regarding the correlation coefficient between $ 40 - CP $ or $ 40 - IP $ and 95% CI range								
	$+ nC) \times 100$ was termed "control proportion % (CP)".											
	≻ We calculated the absolute value of $40 - CP(40 - CP)$ and $40 - IP(40 - IP)$.			We consider the case where higher $ 40 - CP $ or $ 40 - IP $ causes relatively higher eSE despite lower $ \beta $.								
SE							5					
SL	> For HR<1, "HR<1 adjusted group" (HR<1aG) retained the original metrics,		$y = e^x$		$HR = e^{\beta}$		4.5			•		
es.	while the "HR>1 adjusted group" (HR>1aG) used metrics calculated with the		$\frac{dy}{dx} = e^x \qquad 95\% \text{CI} = e^{\beta \pm \text{SE} \times 1.96} \qquad 4.3$									
							4		, , , , , , , , , , , , , , , , , , ,			
	reciprocal of HR and its 95%CI (e.g. 0.50 (0.20-0.80) \rightarrow 2.00 (1.25-5.00)).						3.5					
	> For HR>1, HR<1aG used metrics calculated with the reciprocal of HR and its 0.50 (CL while UD) 1 cC retained the ariginal metrics			In HR/1	renlaceme	nt of	3					
2	95%CI, while HR>1aG retained the original metrics.	In HR<1, replacement of 2.5										
				SE with	n 95%CI wh	nile	2.0	/				
• /				lowering	β promote	s the	2		lower β	In HR>1	, replacement of	
riate	The reason why eSE/ β was proposed Relatively lower event incidence expands a confidence interval of rat						1.5			SE wif	h 95%CI while	
es the reci	$T_{a} = \frac{1}{2} \int C dt dt T_{b} = L_{a} = \frac{1}{2} \int L_{a} = \frac{1}$			positiv	ve correlatio	DN						
	Generally, SE increases as β increases						0.5		1	owering	$ \beta $ diminishes the	
						lower β	0.5			positi	ve correlation	
g. $0.69 \rightarrow$	-0.69) Higher β (ratio) despite relatively lower event incidence makes a relationship increases as β increases"	o that "SE	-2	-1.5	-1	-0.5	0	0.5	1	1.5	2	
	mereuses us p mereuses	Cot	ntact information							Conclu	sion	
	When the influence of allocation proportion of intervention and control on the	credibility										
	of HR is evaluated, the characteristic that "SE increases as β increases" become	Soichi Takaishi MD	E-mail: souichi198	811225@y	yahoo.co.jp	≻The p	resent stud	y results m	nay indicate	e that ext	remely biased alloc	atic
		Inuyama-city, Aichi,	Phone: +81-568-6	2-8111		and C	diminish t	he credibil	ity of HR.			
	We proposed a metric, $eSE/ \beta $, to evaluate the credibility of HR precise	ely. 484-8511, JAPAN	Fax: +81-568-6	2-9289		≻Repla	cing eSE/ [3 with 95%	%CI range r	nay not a	ccurately assess the	is d

nittee,]	Inuyama	Chuo	General	Hospital
	J			L



HR>1aG were reversed.

e identical.

ation proportions of I

diminished credibility.